1st Aeroelastic Prediction Workshop

Static and Forced Motion Simulations of the HIRENASD Test Case- Approaches and Results

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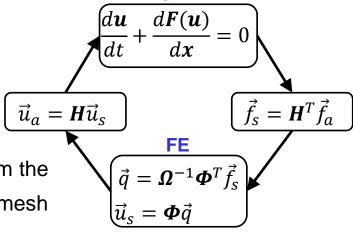
Approach for the static coupling simulations

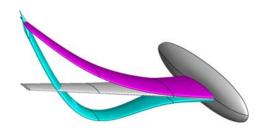
 For steady calculations, the flexibility of the wing was taken into account by apploying a weakly coupled FSI simulation based on a modal approach

$$\Omega \vec{q} = \Phi^T \vec{f}_S$$
 $\Omega = \text{Eigenvalues matrix}$ $\Phi = \text{Mode shape matrix}$ $\vec{f}_S = H^T \vec{f}_a$ $H = \text{Interpolation matrix}$

- To reduce computational costs, the mode shapes from the FE model can be interpolated onto the aerodynamic mesh in a pre-processing step

$$\vec{q} = \Omega^{-1} (\pmb{H} \pmb{\Phi})^T \vec{f_a} = \pmb{\Omega}^{-1} \pmb{\Phi}_a^T \vec{f_a} \qquad \pmb{\Phi}_a^T = \text{Aerodynamic}$$
 mode shape matrix

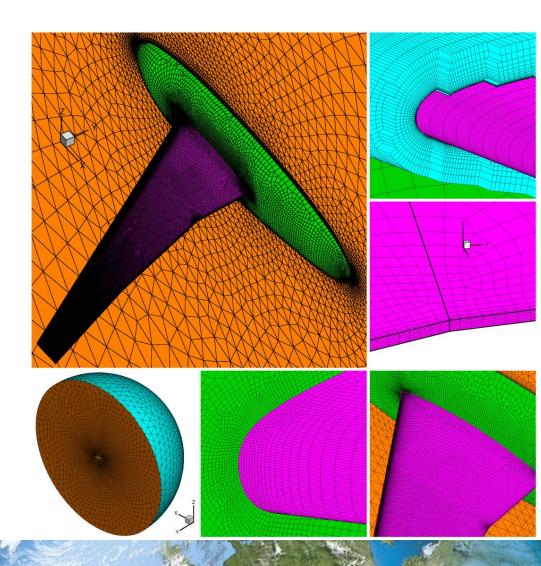






Numerical models used for the simulations

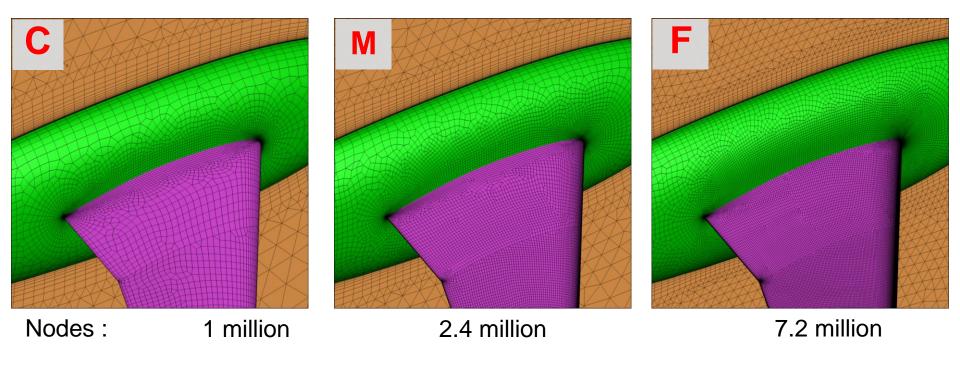
- Any aerodynamic simulations were done by the DLR TAU code, a node-based, finite-volume flow solver in ALE formulation working with hybrid grids
- Unstructured, quad dominant
 CFD meshes generated by Solar were used
- No wind tunnel walls were modeled, but a hemispherical farfield was applied





Numerical models used for the simulations

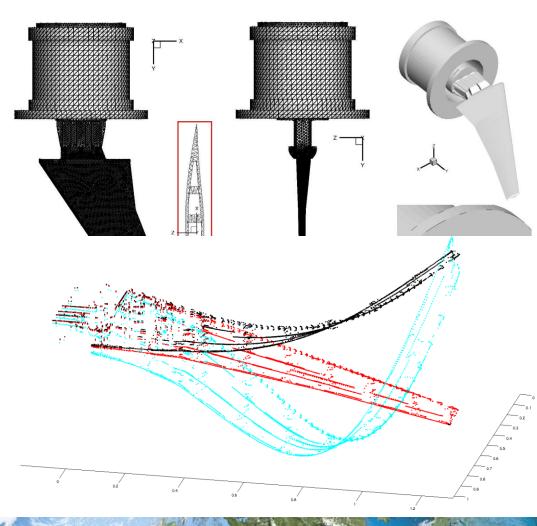
- Three different grids:





-Numerical models used for the simulations

- The FE model designed by NASA that includes the balance housing was used
- NASTRAN SOL 103 is used to obtain modeshapes and eigenvalues
- Number of points was reduced using a kd-tree based method
- For the static coupling simulations,
 a modal basis of the twenty lowest
 modes was used





Numerical models used for the simulations

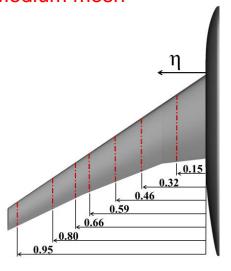
- Settings applied to the TAU code:
 - Inviscid flux calculation by Central differences (JST Scheme) with scalar dissipation
 - Convergence acceleration by multigrid
 - Local/dual time stepping for steady/unsteady simulations
 - Any calculations (RANS/URANS) used the Edward's modified version of the Spalart-Allmaras turbulence model
 - Moving boundary conditions employed by Radial-Basis-Function based mesh deformation

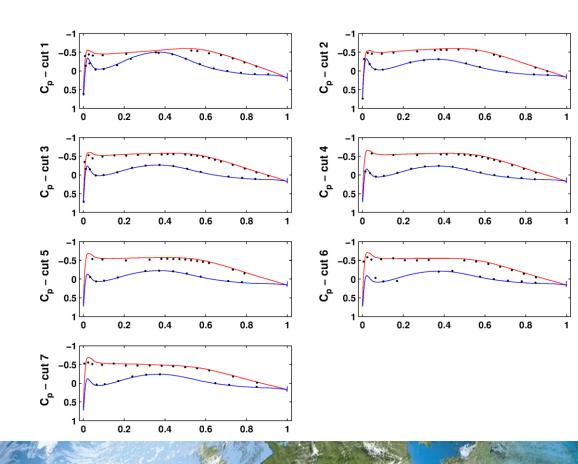


- Comparison of the static coupling results in terms of cp for test case 155

-
$$AoA = 1.5^{\circ}$$

- Ma = 0.7, Re = 7.0 million
- Medium mesh

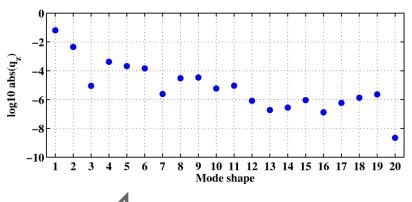


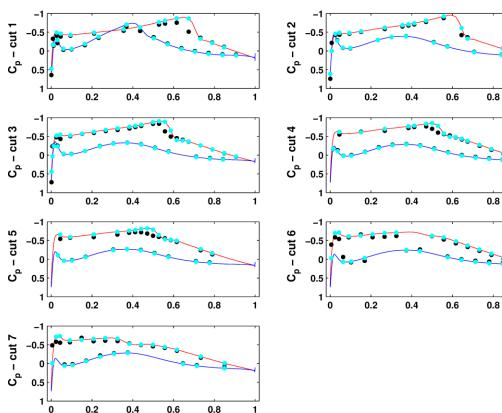




Comparison of the static coupling results in terms of c_P for test case 159

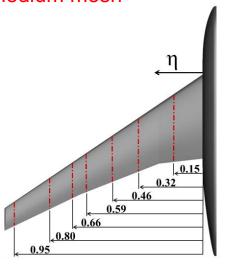
- $AoA = 1.5^{\circ}$
- Ma = 0.8, Re = 7.0 million
- Medium mesh
- Deficiency in the shock region (pressure waves)

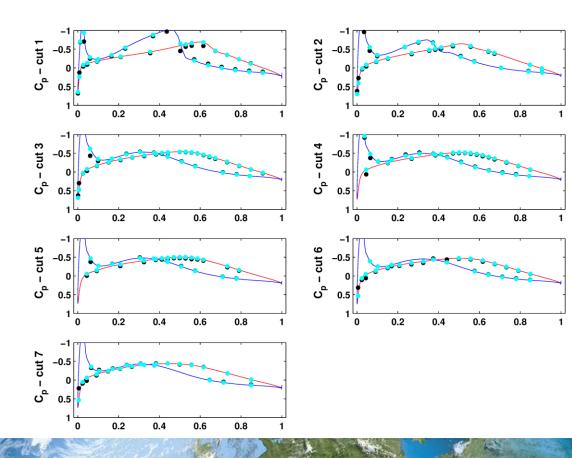




- Comparison of the static coupling results in terms of cp for test case 271

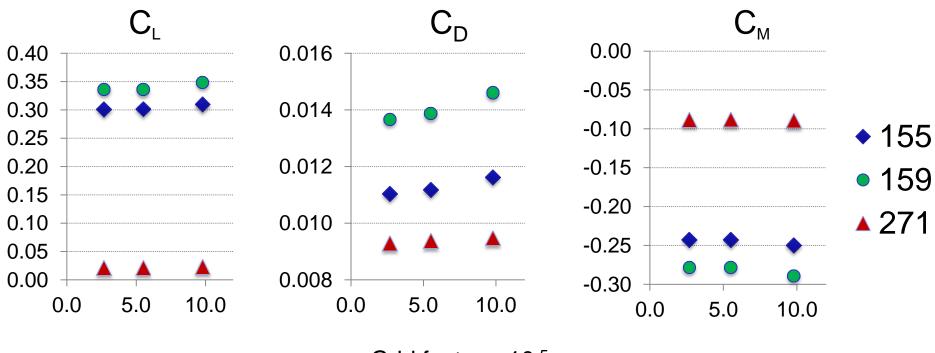
- $AoA = 1.5^{\circ}$
- Ma = 0.8, Re = 7.0 million
- Medium mesh







- Mesh convergence for the static coupling test cases







Approach for the unsteady forced motion simulations

 To simulate the unsteady test cases, the elastic motion of the wing in the second bending mode was applied as boundary condition during an unsteady CFD calculation

$$\vec{u}_{a,x}(t) = a_0 \boldsymbol{\Phi}_{a,x} \sin(\omega t)$$
 Amplitude a_0 of the simulation was chosen to $\vec{u}_{a,y}(t) = a_0 \boldsymbol{\Phi}_{a,y} \sin(\omega t)$ match the experimental amplitude $\vec{u}_{a,z}(t) = a_0 \boldsymbol{\Phi}_{a,z} \sin(\omega t)$

- To obtain a transfer function of the pressure coefficient similar to the experimental data, the spectrum of c_p of the last period of oscillation is divided by the spectrum of the excitation signal (smooth function $\vec{u}_a(t)$)

$$T_{CFD}(f) = \frac{FFT(c_p(t))}{FFT(a_0 \sin(\omega t))}$$



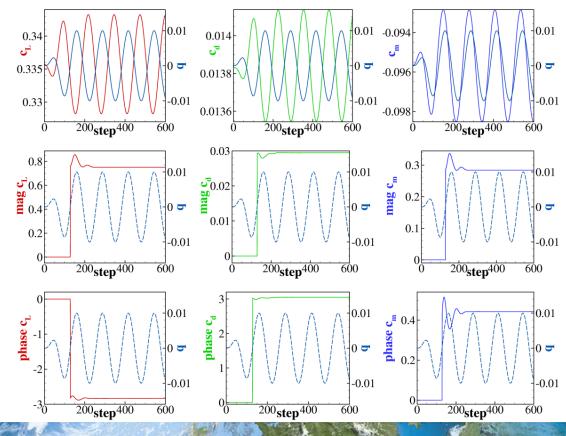
Approach for the unsteady forced motion simulations

- The following numerical parameter were used for the unsteady Forced Motion

simulations:

 Dual time stepping for time integration

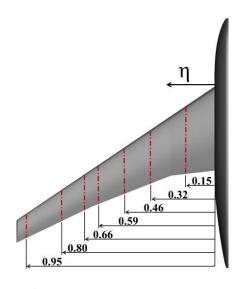
- 64/128 physical steps per period
- Convergence in the frequency domain could be reached for integral values after approx. 2 oscillation periods

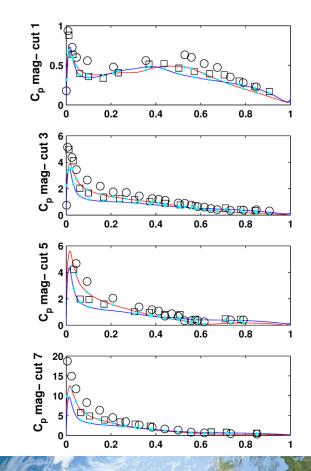


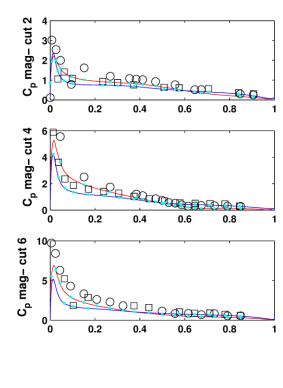


- Comparison of c_p magnitude for test case 155

- $AoA = 1.495^{\circ}$
- Ma = 0.7, Re = 7.0 million
- Medium mesh

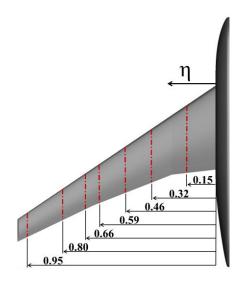


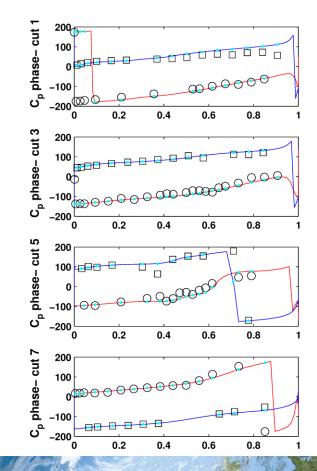


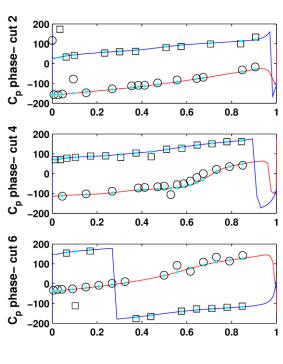




- Comparison of c_p phase for test case 155
- $AoA = 1.495^{\circ}$
- Ma = 0.7, Re = 7.0 million
- Medium mesh



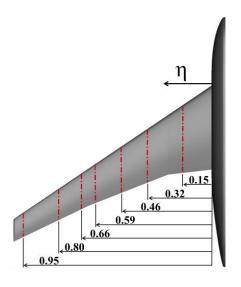


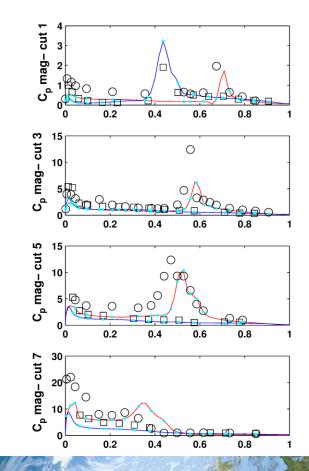


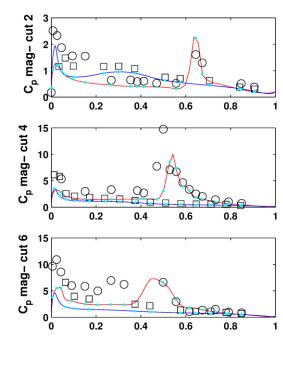


- Comparison of c_p magnitude for test case 159

- $AoA = 1.495^{\circ}$
- Ma = 0.8, Re = 7.0 million
- Medium mesh

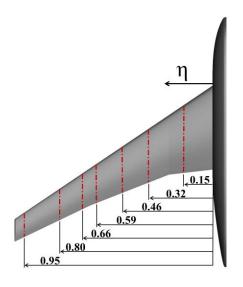


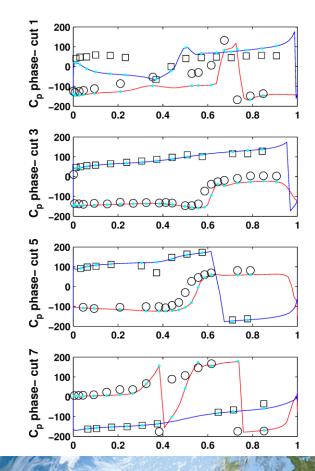


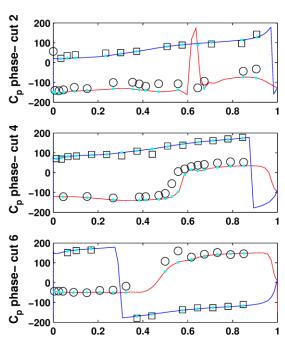




- Comparison of c_p phase for test case 159
- $AoA = 1.495^{\circ}$
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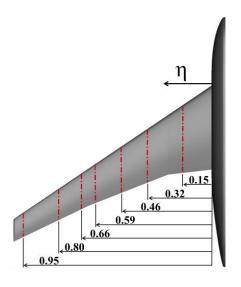


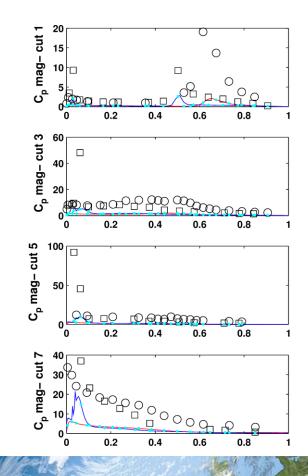


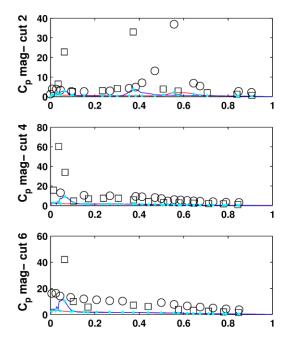


Comparison of c_p magnitude for test case 271

- $AoA = 1.495^{\circ}$
- Ma = 0.8, Re = 23.5 million
- Medium mesh

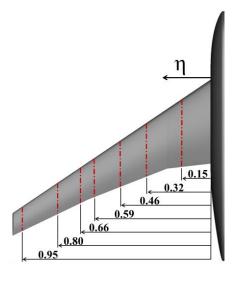


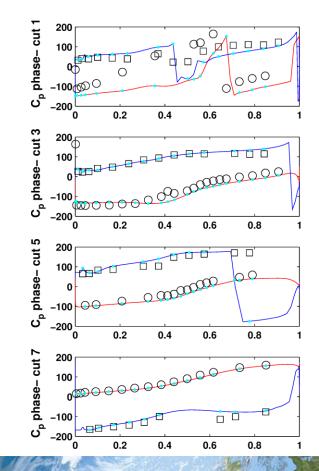


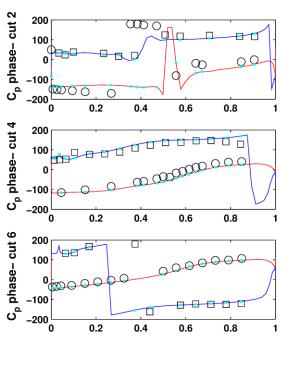




- Comparison of c_p phase for test case 271
- $AoA = 1.495^{\circ}$
- Ma = 0.8, Re = 23.5 million
- Medium mesh









Conclusion

- Results of the static coupling simulations agree well with experimental data:
 - Modal approach seems sufficient for the calculation of the steady aeroelastic equilibrium
- Results of the unsteady forced motion simulations agree well with experimental data with respect to $c_{\scriptscriptstyle D}$ phase
- Differences occur for c_p magnitude, further clarification is necessary by considering at least:
 - Shock location (Turbulence model?)
 - Amplitude of the motion
 - FE modelling
 - Experimental data



Thank you for your attention

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